

# DOUBLE CONVEX FUSED SILICA ACYLINDRIC LENS

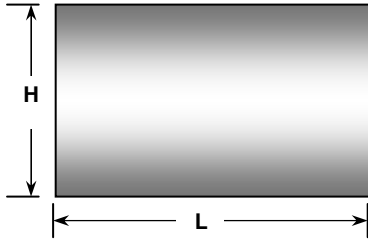
FINITE CONJUGATES

SURFACE 1: CONIC

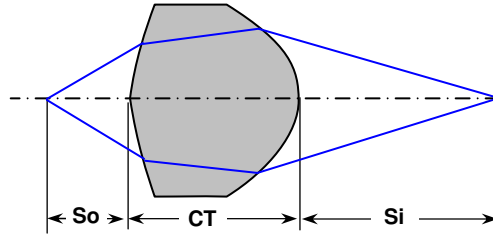
SURFACE 2: HIGH ORDER ACYLINDRIC

## LENS DRAWING

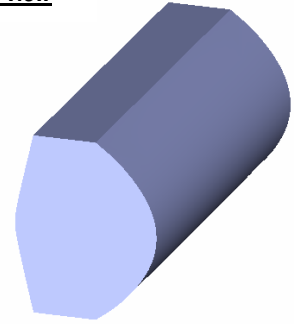
**Front view**



**Side view**



**3D view**



## LENS DESIGN INFORMATIONS

Ordering Code	Paraxial data <sup>1,4</sup>			Dimensions <sup>1</sup>			Surfaces data <sup>1,2,3</sup>					
	EFL	So	Si	H	CT	L	1		2			
ACL_DCX_CAC_MAG_FS_EFL_L_AR( $\lambda_1 - \lambda_2$ )							R	CC	R	CC	A <sub>6</sub>	A <sub>8</sub>
<b>Material:</b> Fused silica	<b>Design Wavelength:</b> $\lambda_0 =$ nm		<b>Refractive index:</b> $n(\lambda_0) = 1.$			<b>Numerical aperture:</b> NA <sub>obj</sub> = 0.			<b>Magnification:</b> MAG =			

- Units: mm
- The acylindric coefficients are given only as guidance for optical modeling. The actual surface is different, analytically designed higher order curve and gives better lenses.
- Surface 1 faces focal point.
- Given as reference only, lens has been optimized in that configuration, but can be used in other configuration and still get excellent performance.

General acylinder equation :

$$surf(x) = \frac{Cx^2}{1 + \sqrt{1 - C^2(CC+1)x^2}} + A_6x^6 + A_8x^8 + A_{10}x^{10} + \dots$$

### Legend

<b>ACL</b> : Acylindric lens	<b>DCX</b> : Double convex	<b>EFL</b> : Effective focal length	<b>NA</b> : Numerical aperture
<b>H</b> : Lens height	<b>So</b> : Distance object to surface 1	<b>Si</b> : Distance surface 2 to image	<b>CT</b> : Central thickness
<b>L</b> : Cylinder length	<b>R</b> : Radius of curvature	<b>C = 1/R</b> : Curvature	<b>CC</b> : Conic constant
<b>Ai</b> : General acylindric coefficients	<b>MAG</b> : Magnification	<b>AR(<math>\lambda_1 - \lambda_2</math>)</b> : AR coating wavelength range	